

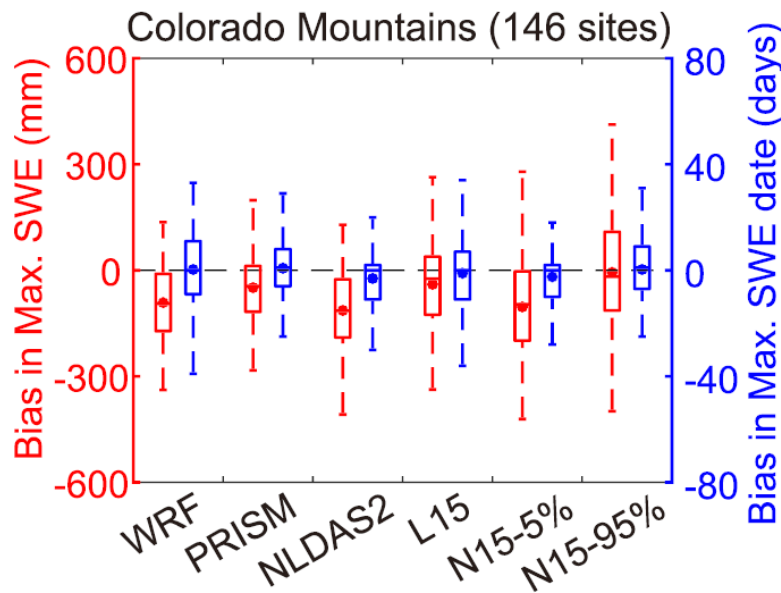
Improving Snow Simulation in the Upper Colorado River Basin through the National Water Model: The Role of Forcing and Parameterization

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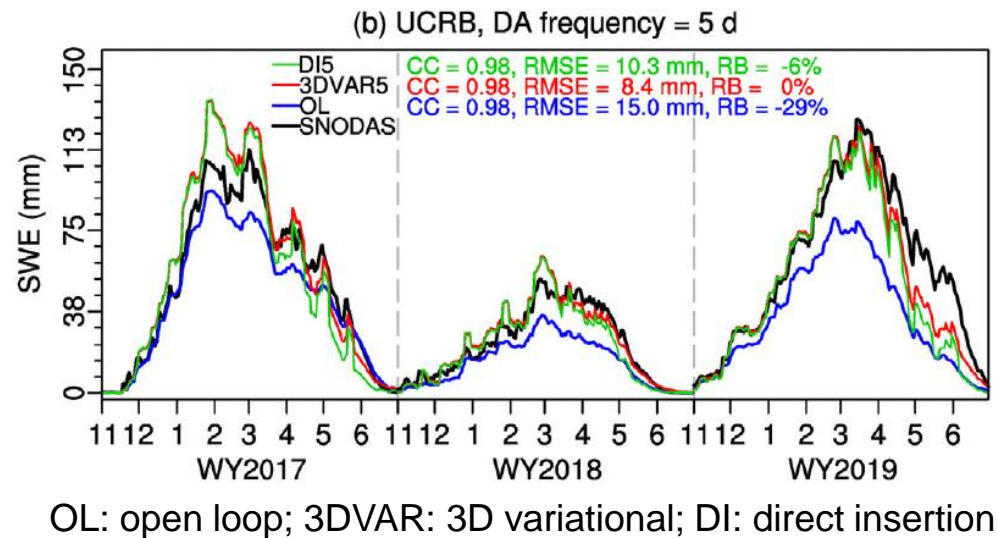
Background

Noah-MP



(He et al. 2019)

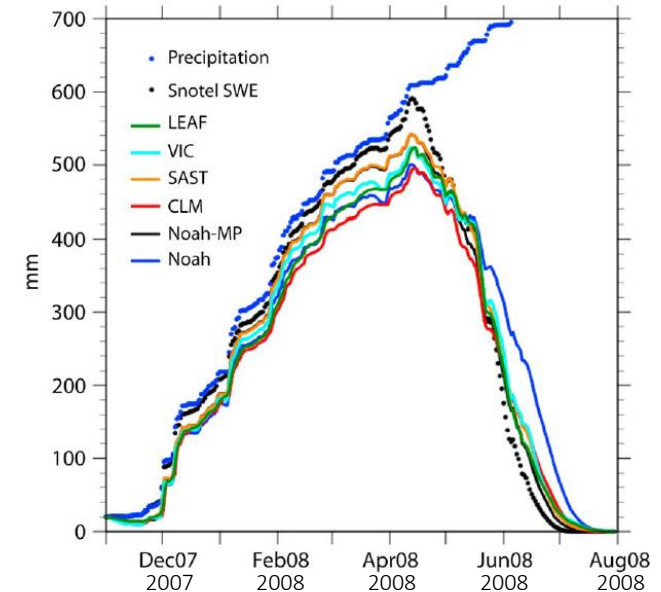
NWM



(Gan et al., 2022)

Different LSMs

112 SNOTEL sites
in Colorado River Headwaters



(Chen et al. 2014)

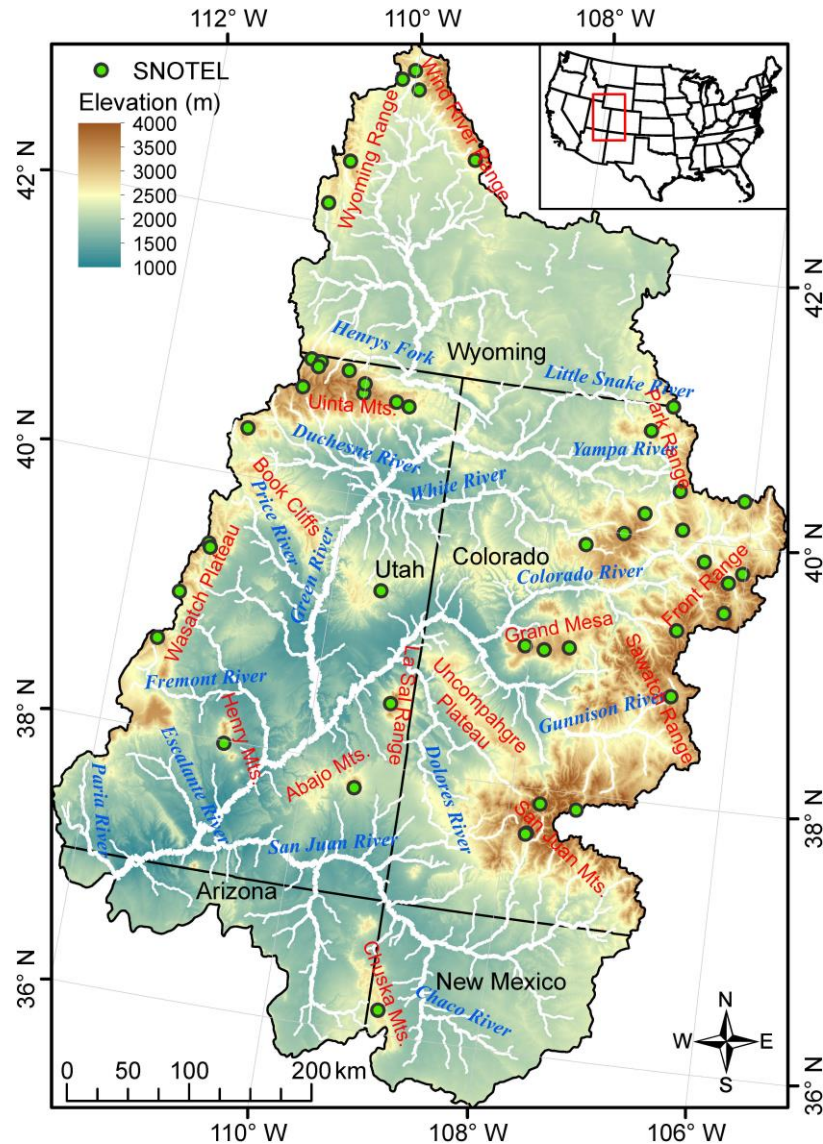
- LSMs underestimate snow accumulation and hence peak SWE in Upper Colorado River Basin (UCRB)
- Sources of uncertainty: Forcing errors and model deficiencies (structure and parameter)

Research questions

- **Forcing data impact**
 - How do errors in forcing data (precipitation and air temperature) affect snowpack simulations?
- **Model parameterization influence**
 - What is the relative impact of different model parameterization schemes on snowpack simulation accuracy?
- **Enhancing predictability in complex regions**
 - Can optimal parameterization schemes, combined with bias-corrected forcing data, enhance snowpack predictability in UCRB?

Gan, Y., Zhang, Y., Kongoli, C., & Pan, M. (2024). The role of forcing and parameterization in improving snow simulation in the Upper Colorado River Basin using the National Water Model. *Water Resources Research*. (Under review)

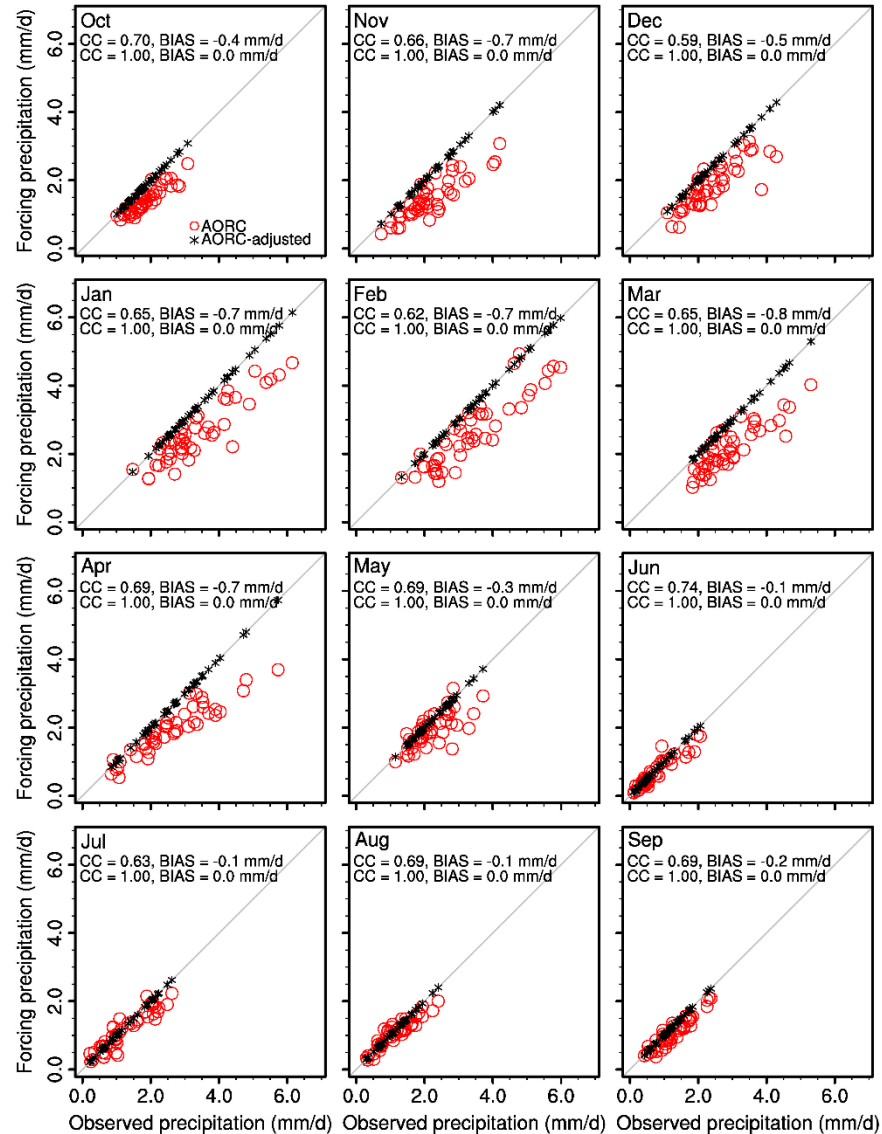
Study area and data



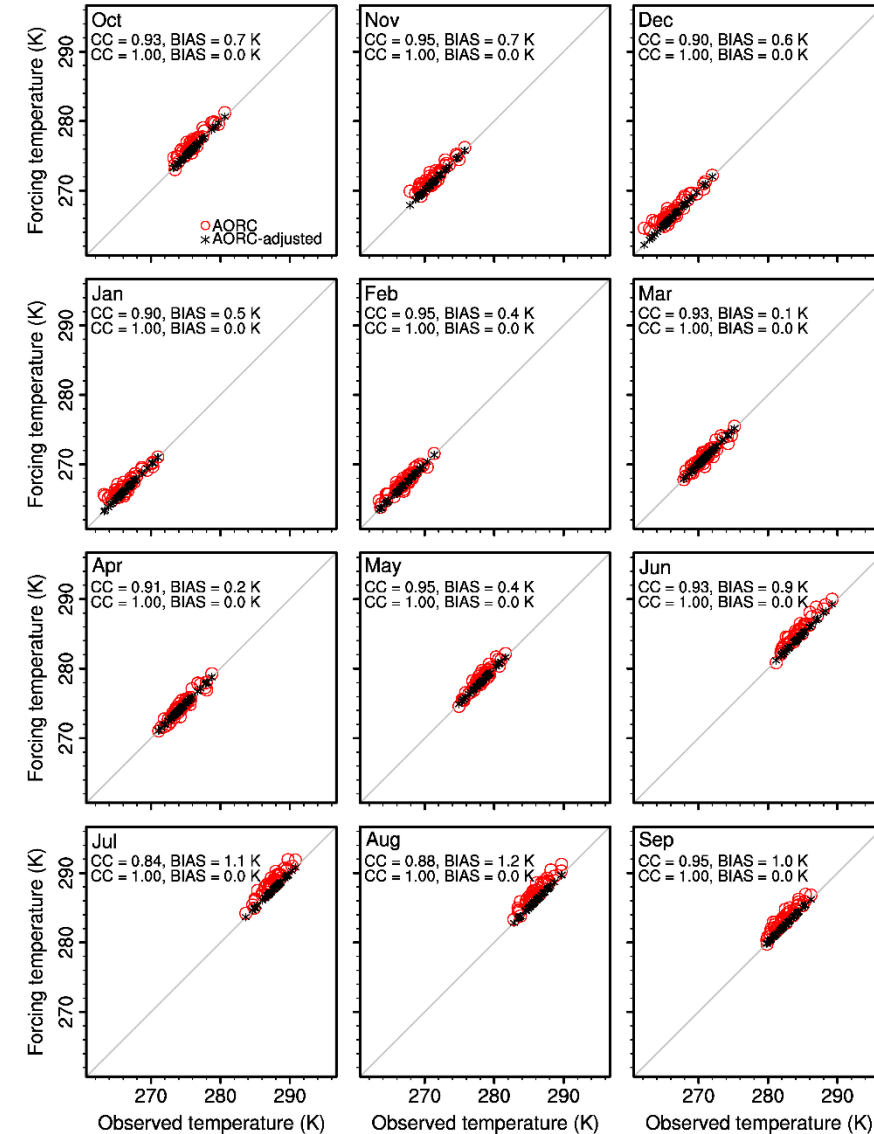
- Model: NWM v2.1 (1-km resolution for the Noah-MP)
- Static data: Obtained from the National Water Center (NWC) and subset for the UCRB (870×603 1-km grid cells)
- Forcing data: 1-km hourly AORC forcing data (Fall et al., 2023) for water years (WYs) 2016–2019
- Observation data: Bias-corrected and quality-controlled (BCQC) SNOTEL data for 46 sites (Yan et al., 2018; Sun et al. 2019; <https://www.pnnl.gov/data-products>)

The role of forcing

Precipitation (forcing vs. observed)

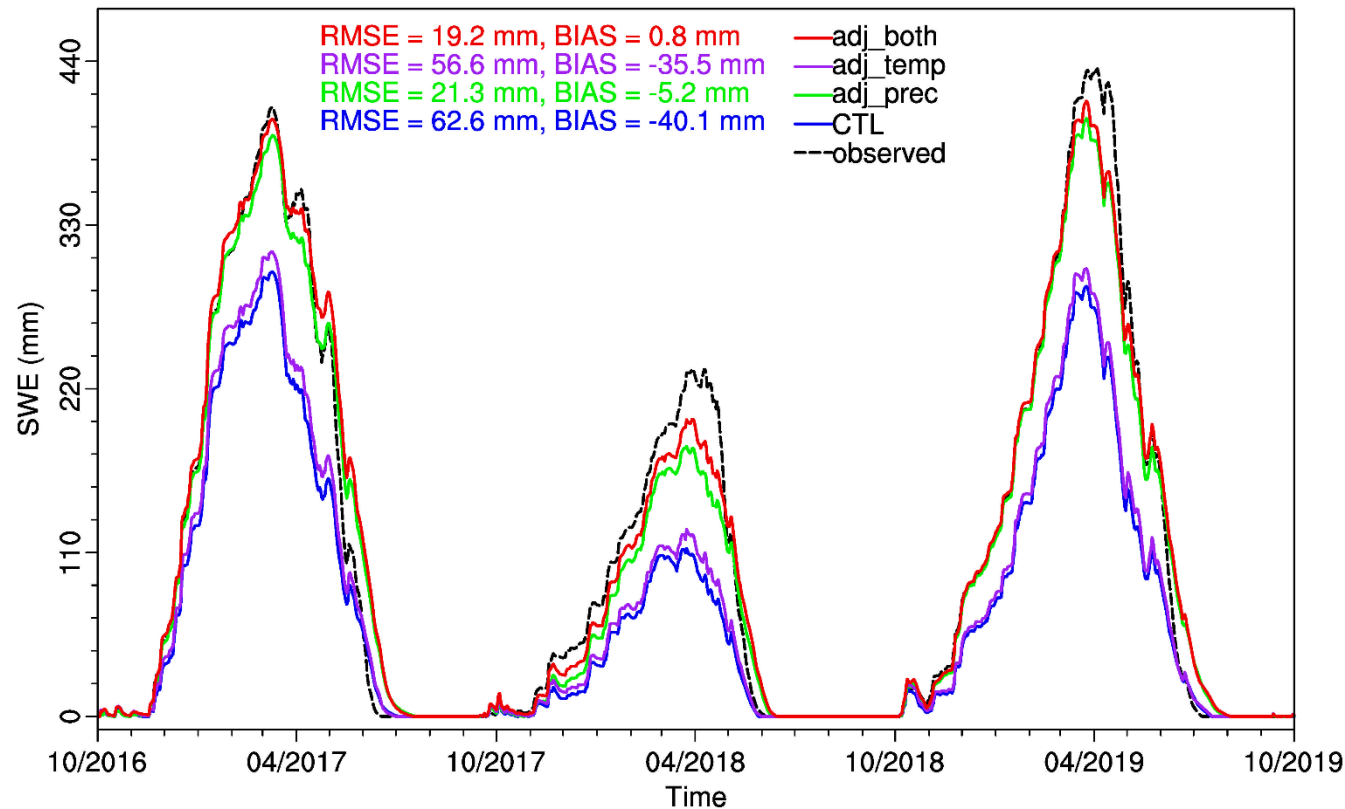


Temperature (forcing vs. observed)



The role of forcing

Experiment ID	Experiment name	Adjusted forcing variables	Scheme combination
1	CTL	none	default
2	adj_prec	precipitation	default
3	adj_temp	temperature	default
4	adj_both	precipitation and temperature	default



- **adj_prec** vs. **CTL**
 - Reduces RMSE by 66%
- **adj_temp** vs. **CTL**
 - Reduces RMSE by 10%
- **adj_both** vs. **CTL**
 - Reduces RMSE by 69%

The role of parameterization

$2 \times 2 \times 3 \times 2 \times 3 = 72$ combinations

Physical process	Parameterization schemes
Surface exchange coefficient for heat (SFC)	<ol style="list-style-type: none"> 1. Monin–Obukhov (Monin & Obukhov, 1954; default) 2. Chen97 (Chen et al., 1997)
Snow surface albedo (ALB)	<ol style="list-style-type: none"> 1. BATS (Yang et al., 1997; default) 2. CLASS (Verseghy, 1991)
Rainfall and snowfall partitioning (SNF)	<ol style="list-style-type: none"> 1. Jordan91 (Jordan, 1991; default) 2. BATS (Dickinson et al., 1986) 3. Noah (Chen et al., 1996)
Lower boundary of soil temperature (TBOT)	<ol style="list-style-type: none"> 1. Zero-flux (Niu et al., 2011) 2. Noah (Pan & Mahrt, 1987; default)
Snow/soil temperature time scheme (STC)	<ol style="list-style-type: none"> 1. Semi-implicit (Yang et al., 2011) 2. Fully implicit (Pan & Mahrt, 1987) 3. Modified semi-implicit (Yang et al., 2011; default)

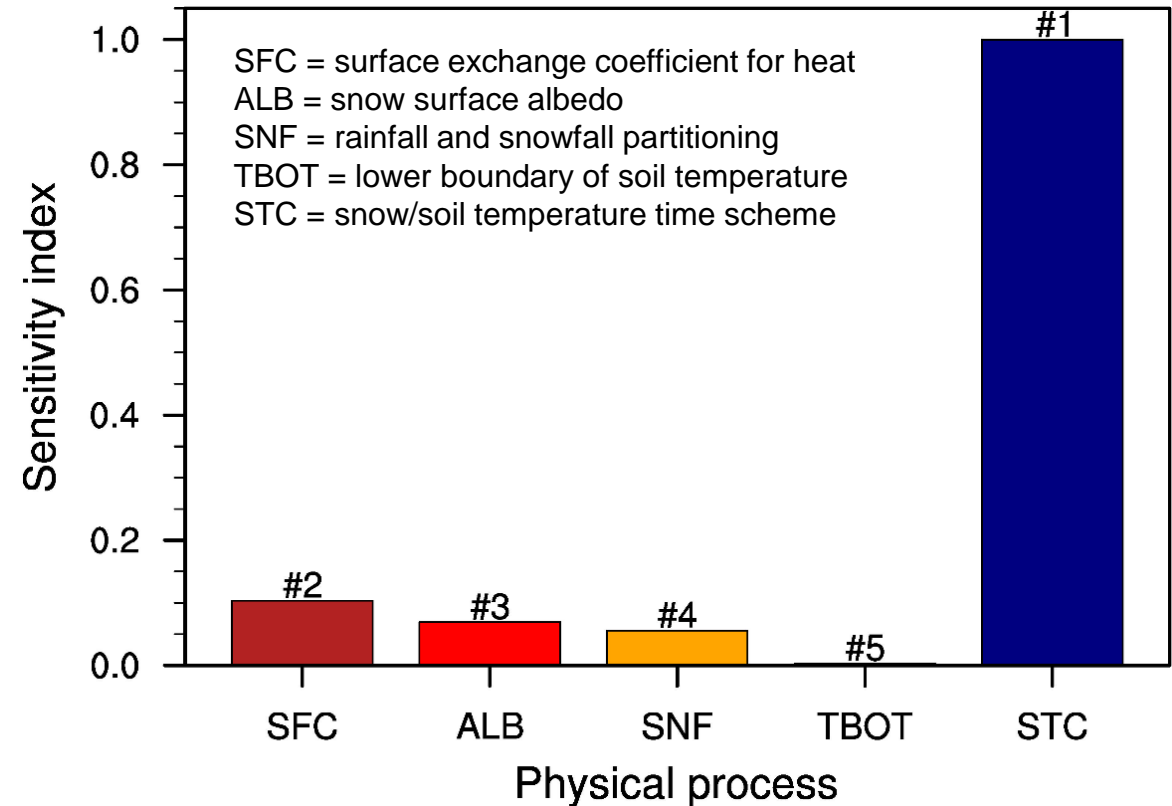
72 experiments driven by adjusted AORC forcings (both precipitation and temperature)

Sensitivity analysis of the physical processes

Assume that there are m distinct physical processes (here $m = 5$), each with various parameterization schemes (2 or 3 for different processes). The mean value of the evaluation metric (RMSE) for each specific scheme j ($j = 1, 2, \dots$) within a given process i ($i = 1, 2, \dots, m$) can be represented as $\bar{Y}_j^{(i)}$. We defined an index to quantify the sensitivities of these physical processes as follows:

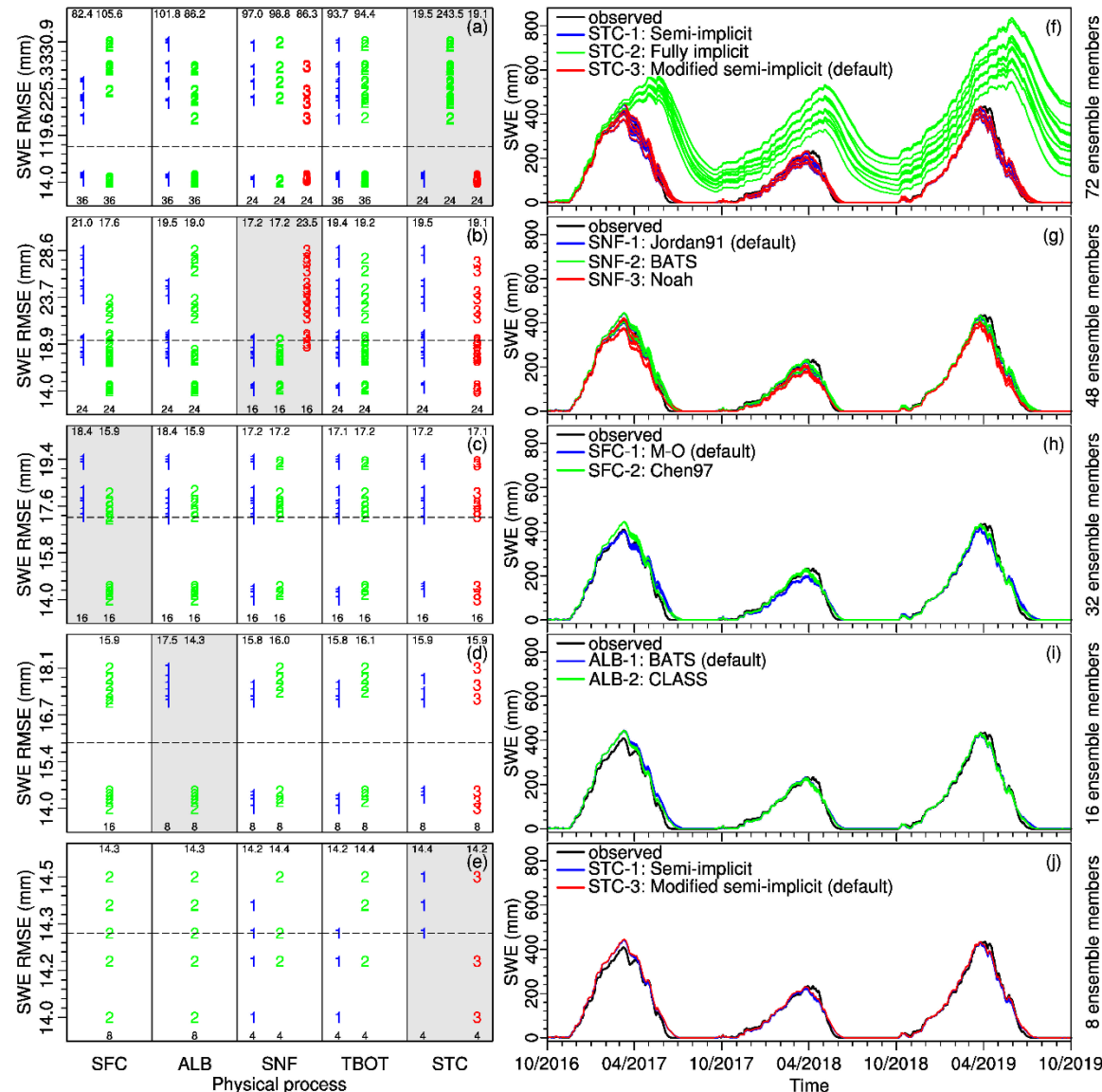
$$S_i = \frac{\Delta \bar{Y}^{(i)}}{\max\{\Delta \bar{Y}^{(1)}, \Delta \bar{Y}^{(2)}, \dots, \Delta \bar{Y}^{(m)}\}}$$

where $\Delta \bar{Y}^{(i)} = \bar{Y}_{max}^{(i)} - \bar{Y}_{min}^{(i)}$ is the difference between the largest and the smallest mean values of the evaluation metric (RMSE) for the i th process.



STC > SFC > ALB > SNF > TBOT

Combinatorial optimization of the schemes



- STC-2: Tends to generate larger coefficients B in the thermal diffusion equation, resulting in smaller increments for the snow surface temperature, which leads to more extensive snow cover and delayed snow ablation
- SNF-3: Partitions less precipitation into snowfall due to its lower air temperature threshold
- SFC-1: Produces a larger negative bias during the snow accumulation period and a larger positive bias during the late snow ablation period, because it produces a lower C_H , which results in a less efficient land surface ventilation and higher surface skin temperature (Niu et al., 2011)
- ALB-1: Produces a slightly higher snow surface albedo and, consequently, retaining more snow than the ALB-2 (CLASS) scheme, primarily due to its weaker snow aging effects (Niu et al., 2011)
- STC-1: Sets the whole grid cell to freezing temperature, while STC-3 only sets the snow-covered part to freezing temperature, producing more realistic ground surface temperature

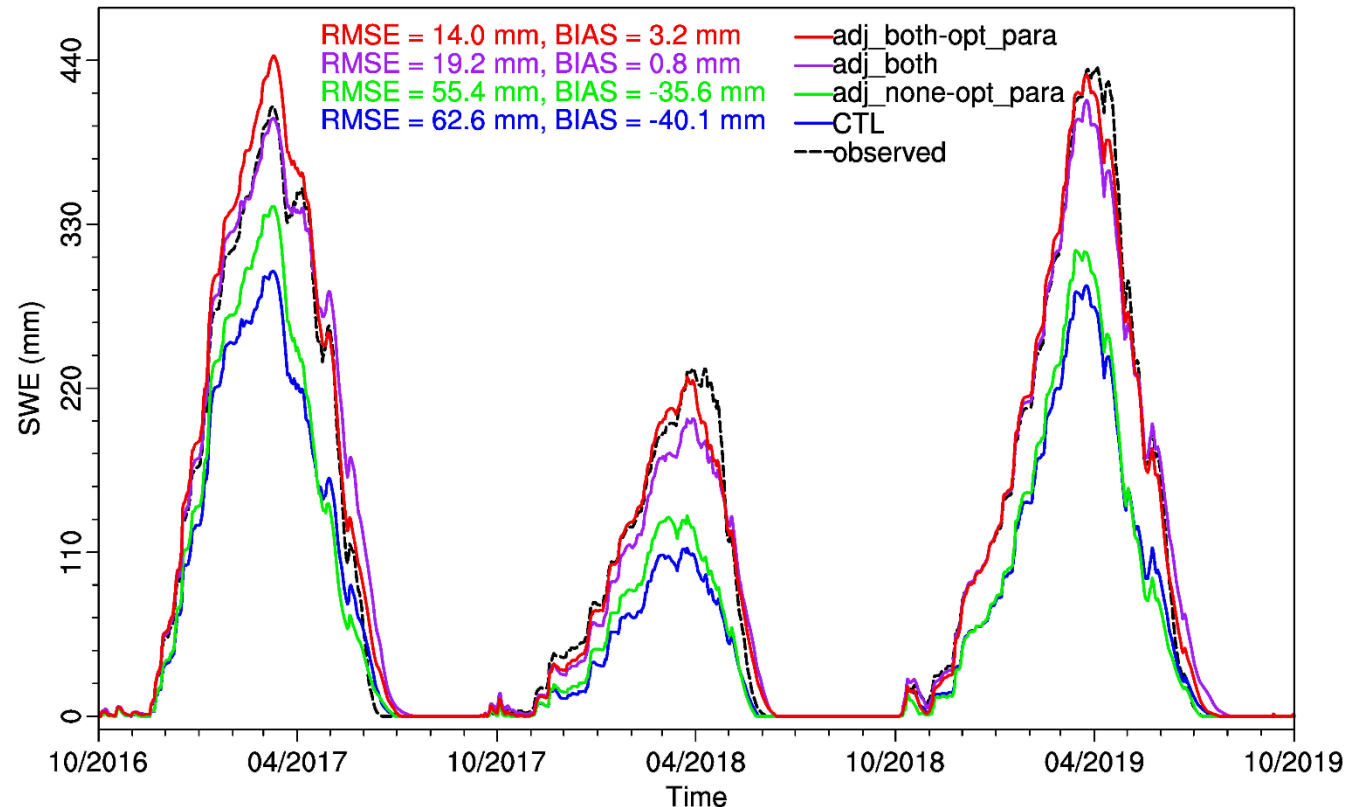
Optimal vs. default scheme combinations

Default scheme combination: SFC-1, ALB-1, SNF-1, TBOT-2, and STC-3
 Optimal scheme combination: **SFC-2**, **ALB-2**, SNF-1, **TBOT-1**, and STC-3

Physical process	Parameterization schemes
Surface exchange coefficient for heat (SFC)	1. Monin–Obukhov (Monin & Obukhov, 1954; default) 2. Chen97 (Chen et al., 1997)
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Optimal vs. default scheme combinations

Experiment ID	Experiment name	Adjusted forcing variables	Scheme combination
1	CTL	none	default
2	adj_none-opt_para	none	optimized
3	adj_both	precipitation and temperature	default
4	adj_both-opt_para	precipitation and temperature	optimized



- **adj_none-opt_para** vs. **CTL**
 - Reduces RMSE by 12%
- **adj_both-opt_para** vs. **adj_both**
 - Reduces RMSE by 27%
- **adj_both-opt_para** vs. **CTL**
 - Reduces RMSE by 78%

Takeaways

- **Forcing data impact**

- Adjusting AORC precipitation reduced SWE RMSE by 66%, adjusting temperature trimmed it by 10%, and adjusting both decreased it by 69%
- SWE simulations are more sensitive to AORC precipitation adjustments than to adjustments in air temperature

- **Model parameterization influence**

- Sensitivity: $STC > SFC > ALB > SNF > TBOT$
- Optimization of parameterization scheme combination led to a 12% reduction in SWE RMSE
- When combined with bias-corrected AORC precipitation and temperature, parameterization optimization achieved a remarkable 78% reduction in SWE RMSE

- **Enhancing predictability in complex regions**

- Improve the quality of forcing data, especially precipitation, by incorporating more in-situ observations
- Optimize model structures and mitigate model parameterization uncertainties
- Improve physical processes such as rainfall/snowfall partitioning and snow ablation



Thank you!
Questions and Comments?

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