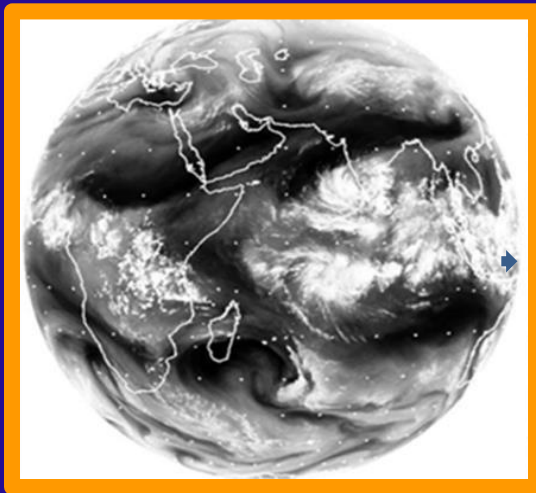


# Parameterization of Organized Tropical Convection

Mitch Moncrieff  
Climate & Global Dynamics Laboratory  
NCAR



Mesoscale  
Processes



***Weather***

***Climate***

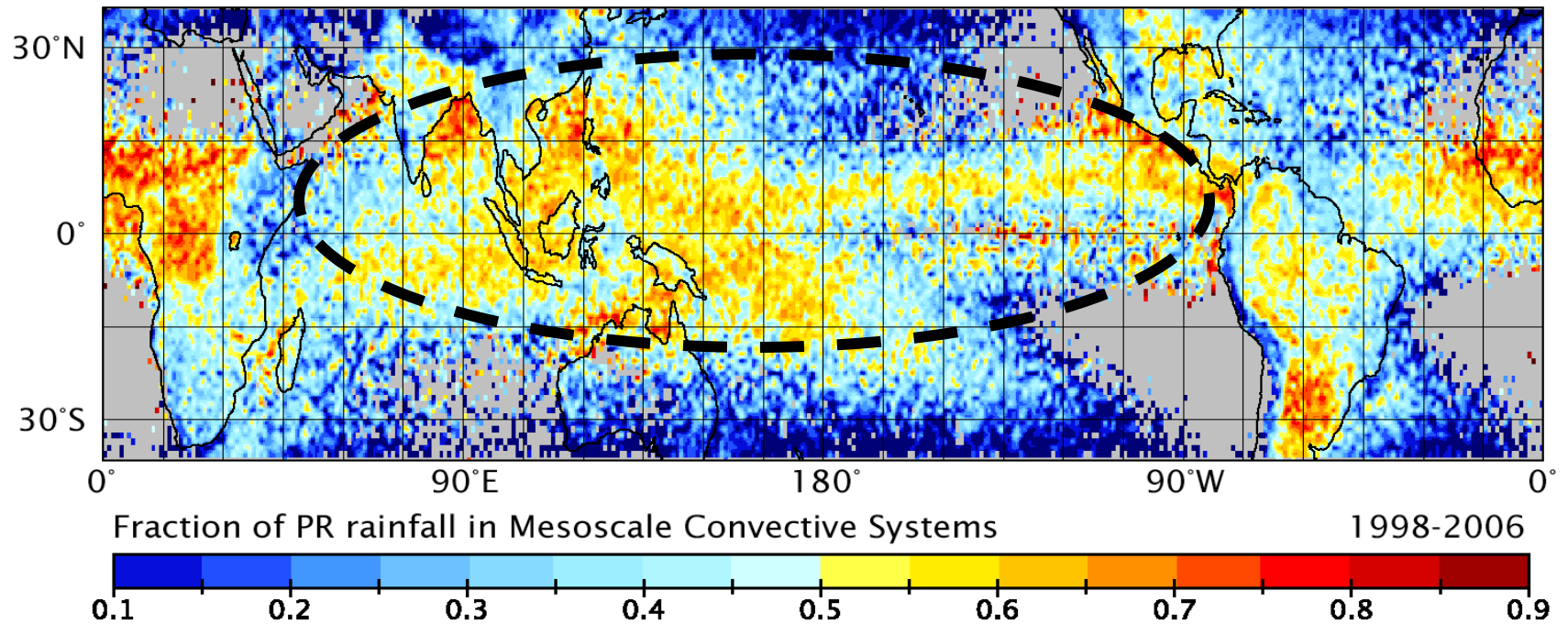
# Hypothesis

- **Organized tropical convection has coherent effects at large-to-global scales**
- **Minimalist fundamental explanations sought**

**Complete description ...**

**Moncrieff, M.W. , C. Liu, and P. Bogenschutz, 2016: Simulation, analytic models, and dynamical-based parameterization of organized moist convection coupled to tropical waves. *J. Atmos. Sci.*, conditionally accepted**

# Fraction of Tropical-Subtropical Rainfall from MCS from TRMM Database



Tao & Moncrieff (2009)

# Organized Convection Parameterization

## 1) EXPLICIT APPROACH:

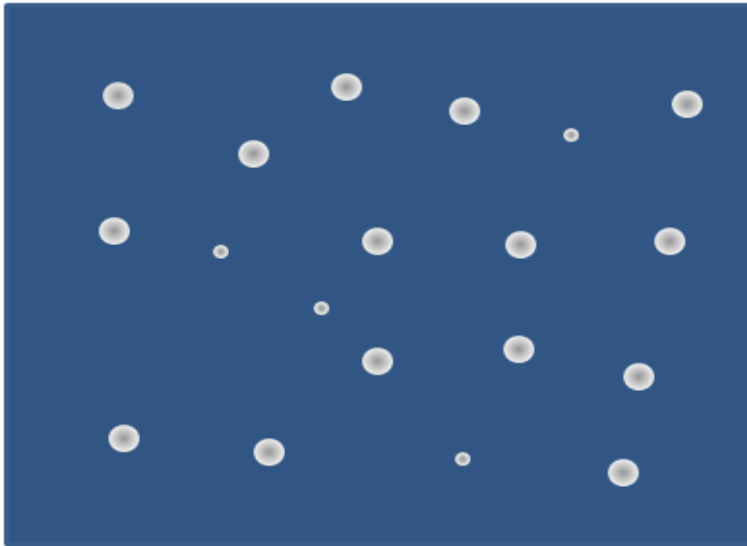
- Global Cloud-system Resolving Models with computational grid 1-10 km, e.g., MPAS, NICAM (e.g., Miyakawa et al. 2012)
- Superparameterization: Analysis of large-scale convective organization in Grabowski (2001) aquaplanet simulation identified key role of MCS-like dynamics represented by nonlinear analytic slantwise overturning models (Moncrieff 2004), encouraged investigation in a full GCM (CAM)

## 2) DYNAMICAL - BASED APPROACH:

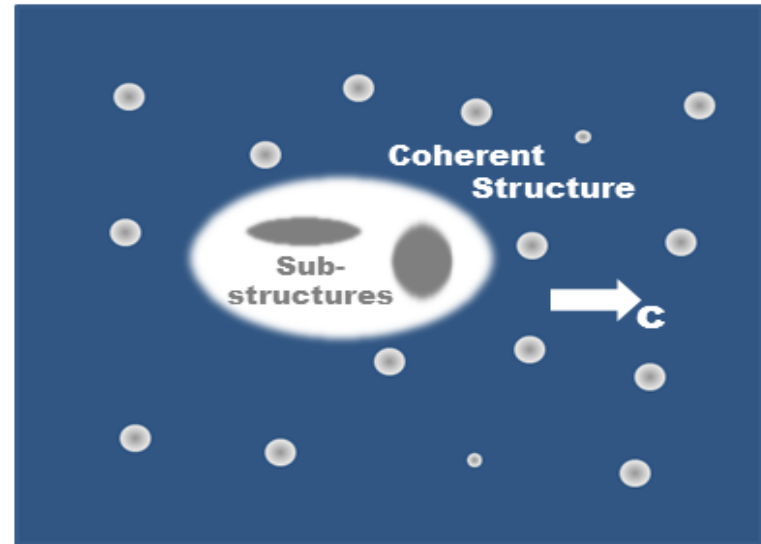
- Multicloud Model Parametrization (Khouider & Majda 2006, 2007): Replaces traditional convective parameterization, excellent success with MJO (NYU Courant Institute; NYU Abu Dhabi Institute)
- Multiscale Coherent Structure Parameterization (MCSP): Nonlinear slantwise overturning model (Moncrieff 2004; 2010) adds “missing organized convection” to traditional parameterization

# Multiscale Coherent Structure Parameterization (MCSP)

a) Cumulus Field



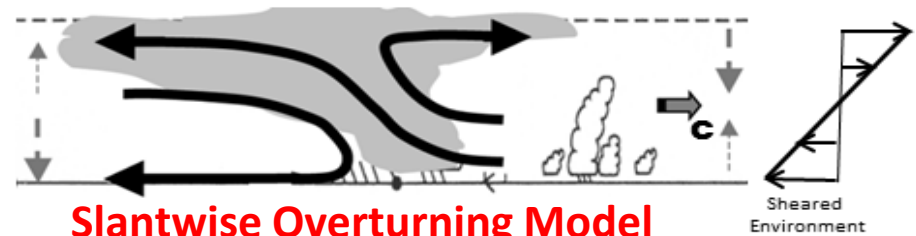
c) Coherent Structure in Cumulus Field



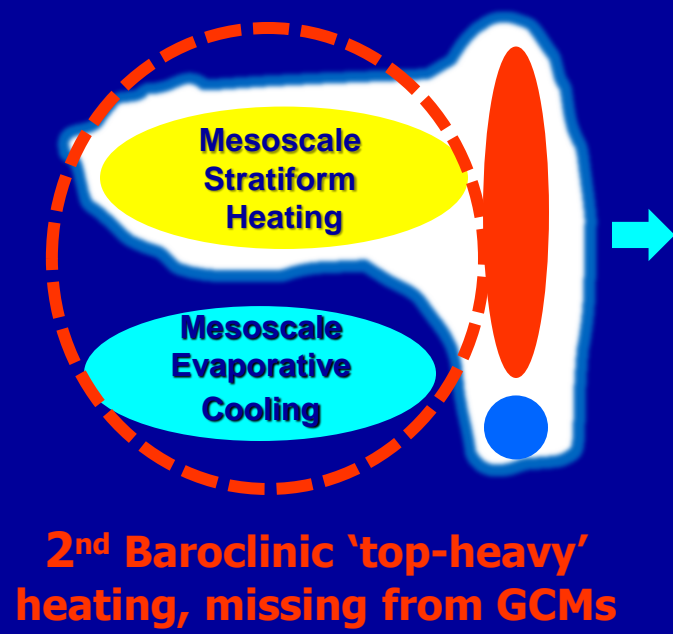
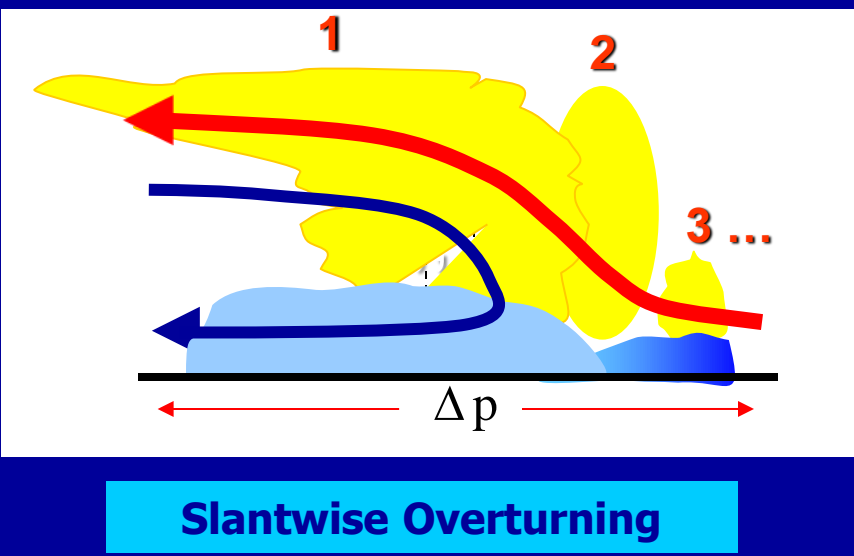
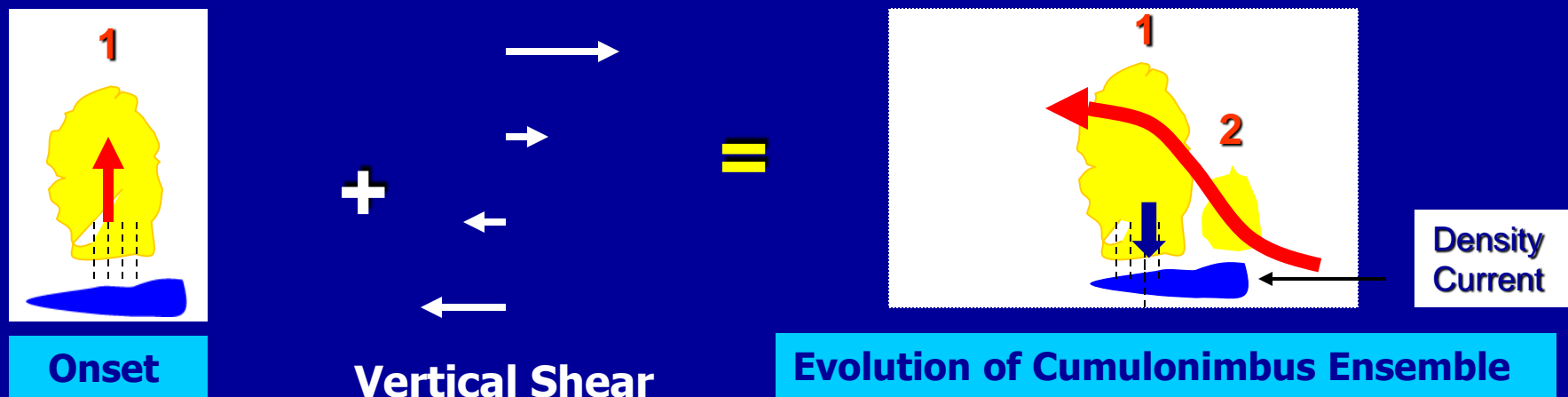
b) Turbulent Cumulus



d) Propagating Coherent Structure

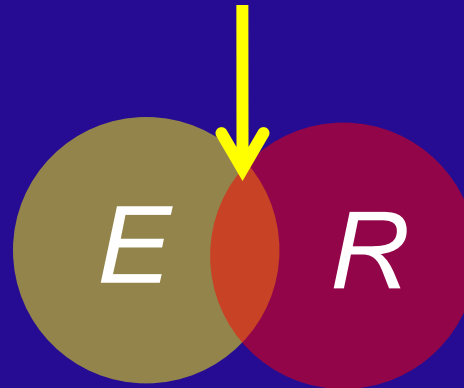


# Upscale Evolution: Cumulonimbus to Mesoscale Circulation



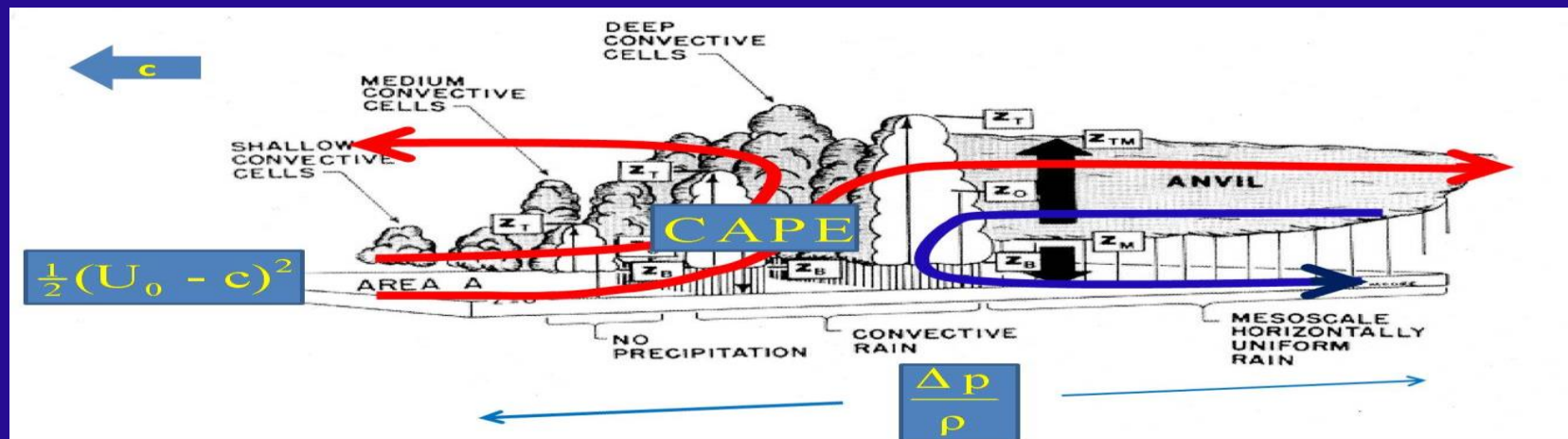
# Lagrangian-based Steady Slantwise Overturning Model

$$E = \frac{\Delta p}{\rho \frac{1}{2}(U_0 - c)^2}$$



$$R = \frac{CAPE}{\frac{1}{2}(U_0 - c)^2}$$

**3 Sources of Energy:** Potential, Kinetic, Work done by Pressure Gradient

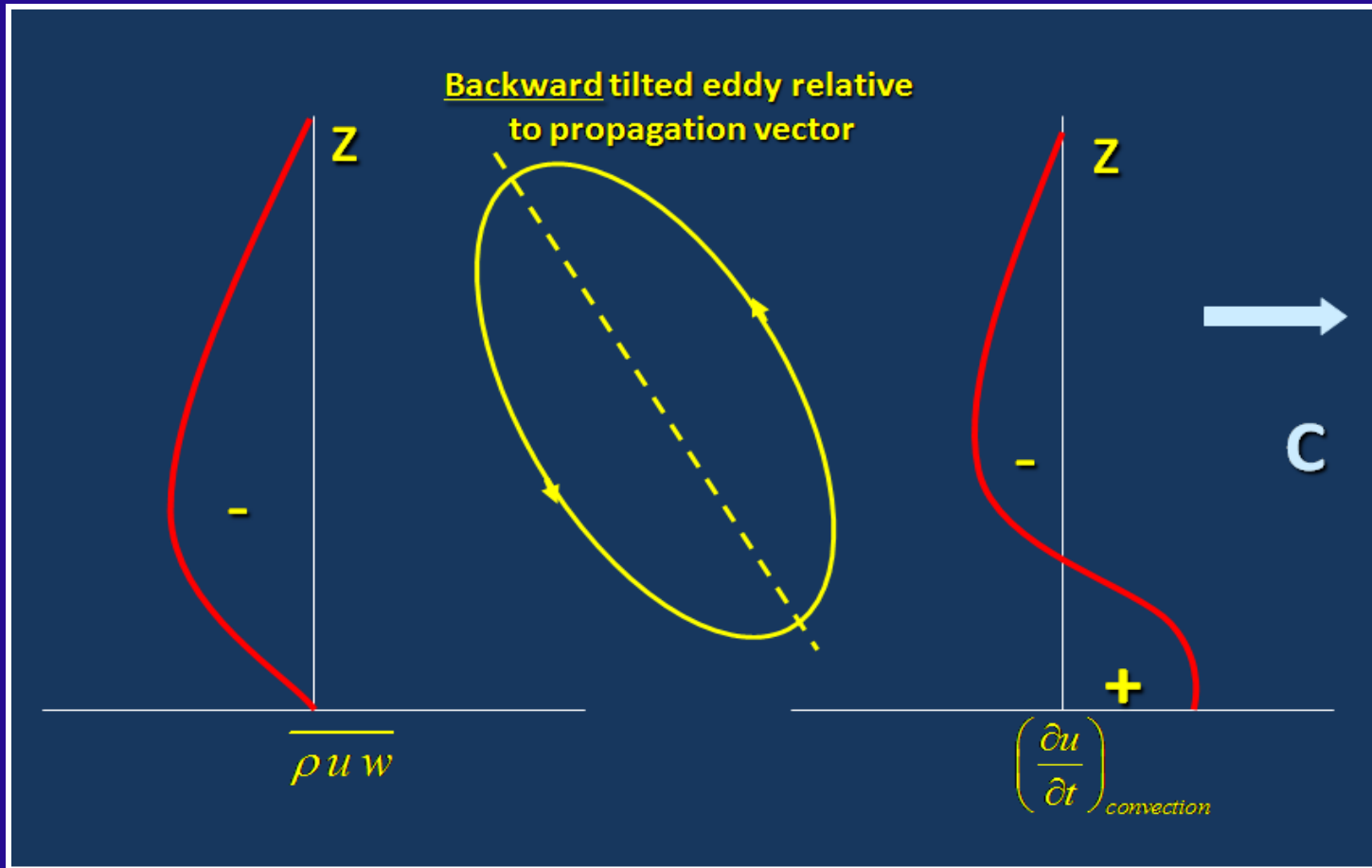


$$\nabla^2 \psi = G(\psi) + \int_{z_0}^z \left( \frac{\partial F}{\partial \psi} \right) dz$$

F: Buoyancy measured along trajectories  
G: Environmental shear

Key approximation valid across scales (i.e., self-similarity):  
Convective heating is proportional to vertical Velocity

## 2<sup>nd</sup> Baroclinic Organized Momentum Transport

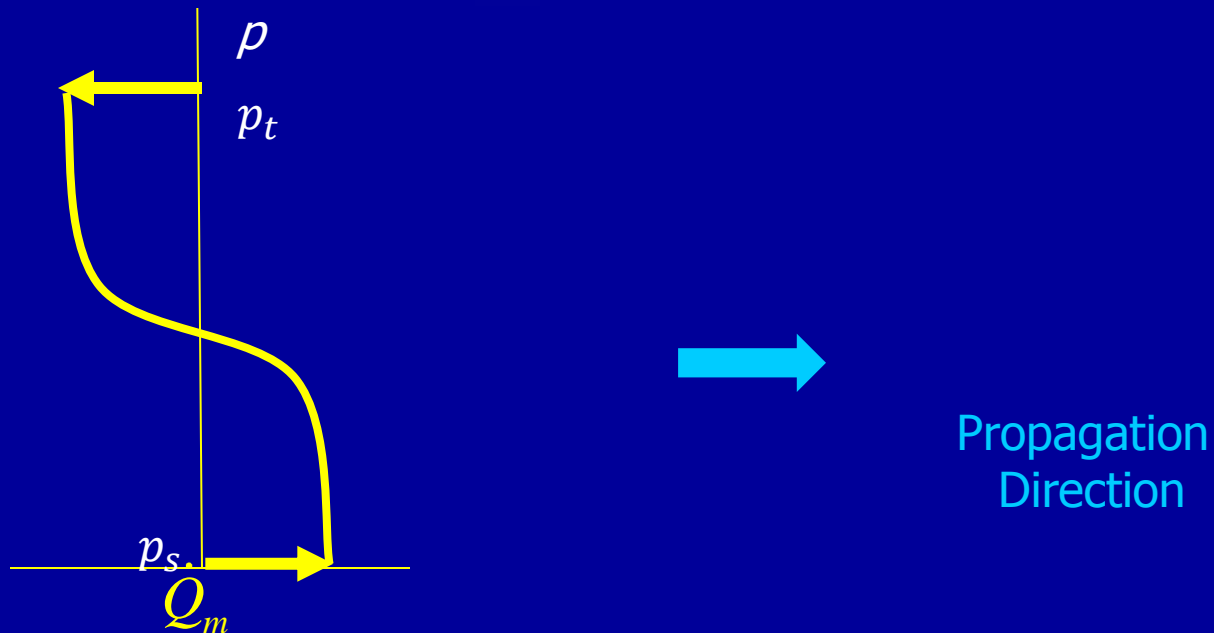


$$\frac{\partial \bar{u}}{\partial t} + \dots = - \frac{\partial}{\partial z} \left( \overline{u_m w_m} \right) = \left( \frac{\delta u}{\delta t} \right)_{convection}$$



# Momentum Transport Parameterization

$$Q_m(p,t) = \alpha_3 \cos \pi \left( \frac{p_s - p}{p_s - p_t} \right)$$

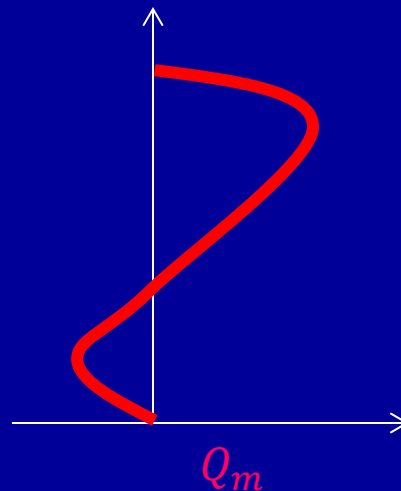


# 1<sup>st</sup> & 2<sup>nd</sup> Baroclinic Modes of Convective Heating

$$Q_m(p, t) = Q_c(p, t) \left[ \alpha_1 \sin \pi \alpha \left( \frac{p_s - p}{p_s - p_t} \right) - \alpha_2 \sin 2\pi \left( \frac{p_s - p}{p_s - p_t} \right) \right]$$

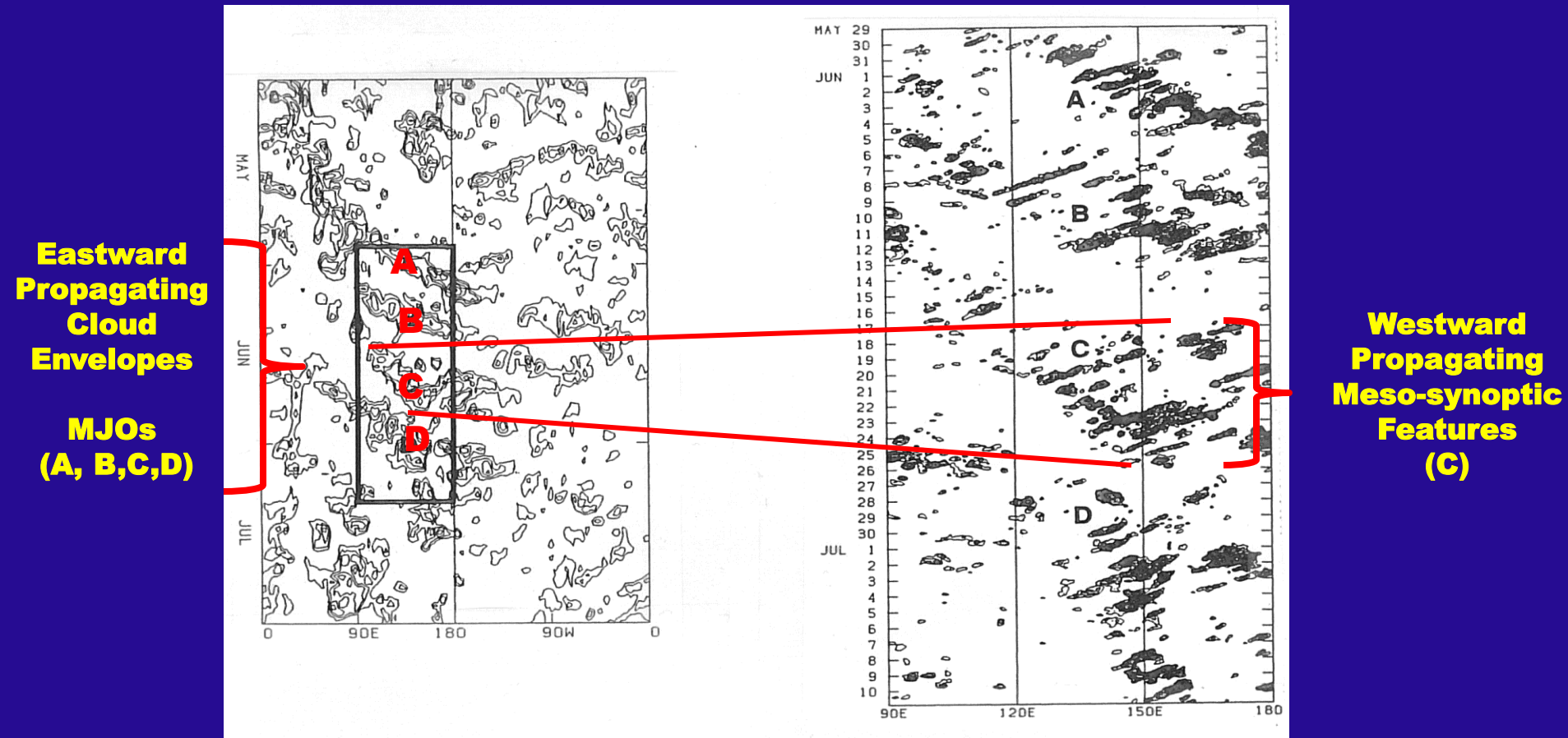
Cumulus heating  
↓
1<sup>st</sup> baroclinic mode
2<sup>nd</sup> baroclinic mode

↑  
Deep Heating  
(1<sup>st</sup> Baroclinic)
↑  
'Top heaviness'  
(2<sup>nd</sup> Baroclinic)



$$\dot{Q}_{total} = \dot{Q}_c + \dot{Q}_m$$

# Eastward Propagating MJO & Embedded Westward Propagating Meso-Synoptic Systems



Nakazawa (1988)

# CAM6 Sensitivity Experiments

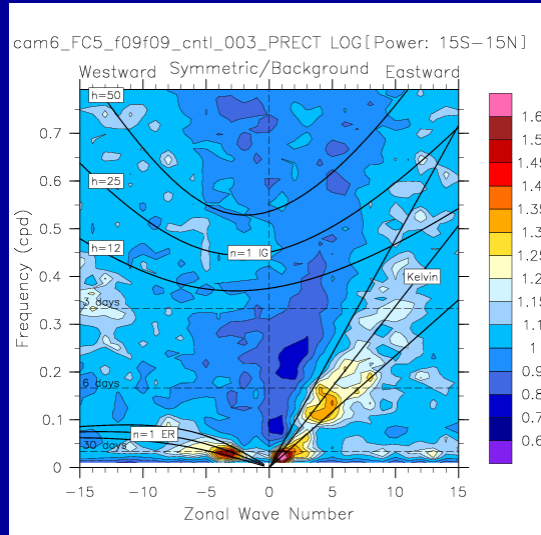
**Objective:** Investigate the large-scale effects of two key elements of MCS-type convective organization

i) 2<sup>nd</sup> baroclinic ‘top-heavy’ convective heating

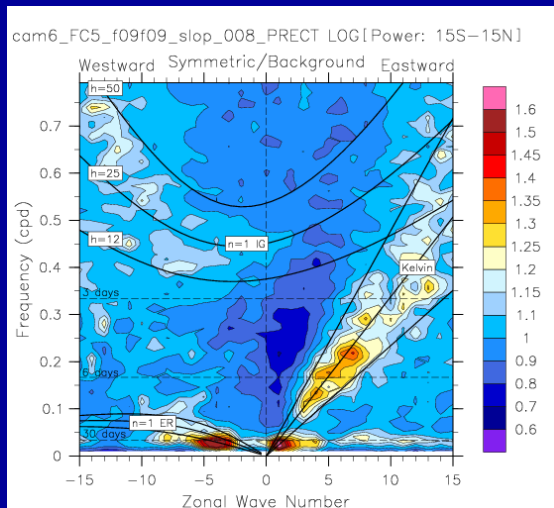
ii) 2<sup>nd</sup> baroclinic convective momentum transport

- 10-year CAM6 integrations, years 2-10 analyzed

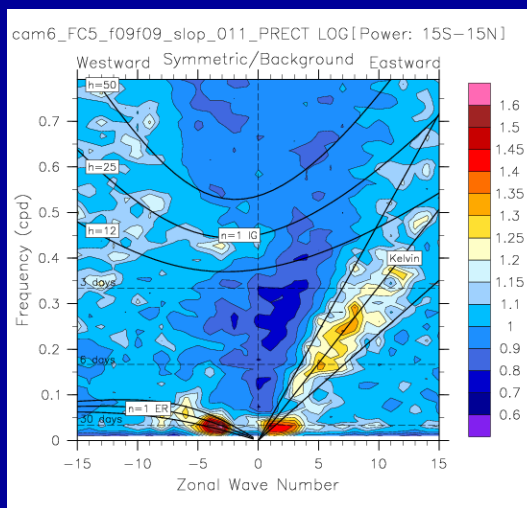
# Precipitation Rate (15S -15N)



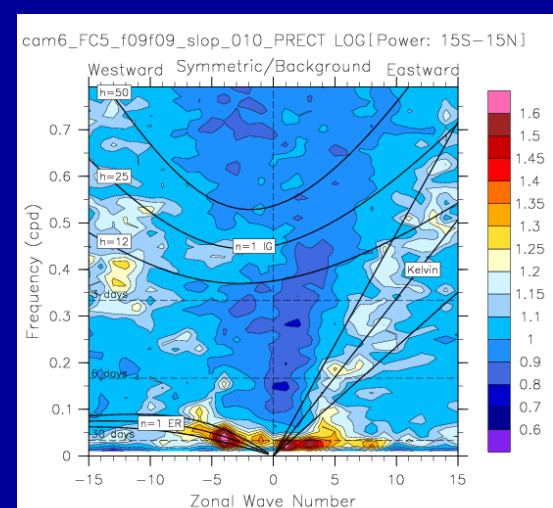
**CAM6 Control**



**MCSP: 2<sup>nd</sup> Baroclinic Heating**

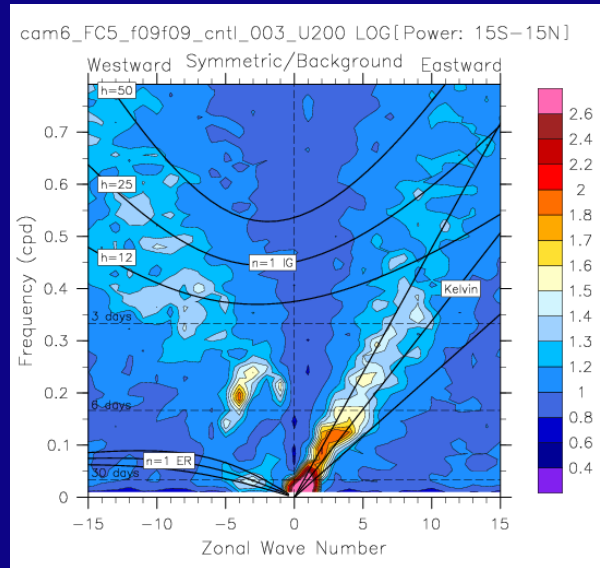


**MCSP: 2<sup>nd</sup> Baroclinic Heating & Momentum Transport ( $\alpha_3 = 1$ )**

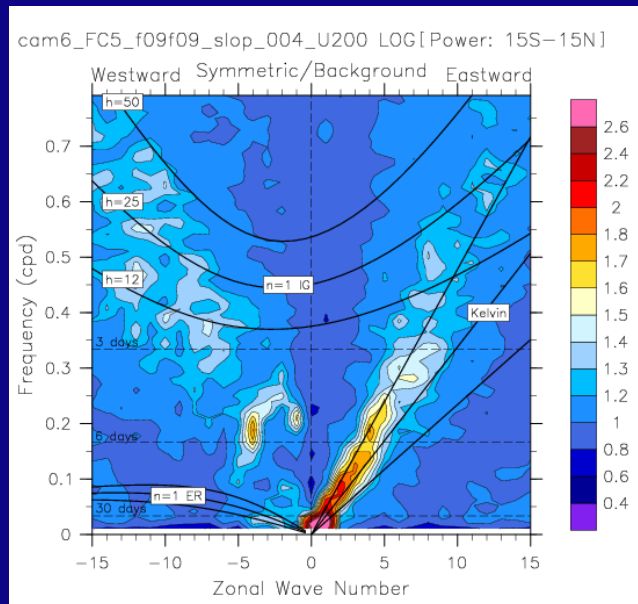


**MCSP: 2<sup>nd</sup> Baroclinic Heating & Momentum Transport ( $\alpha_3 = 5$ )**

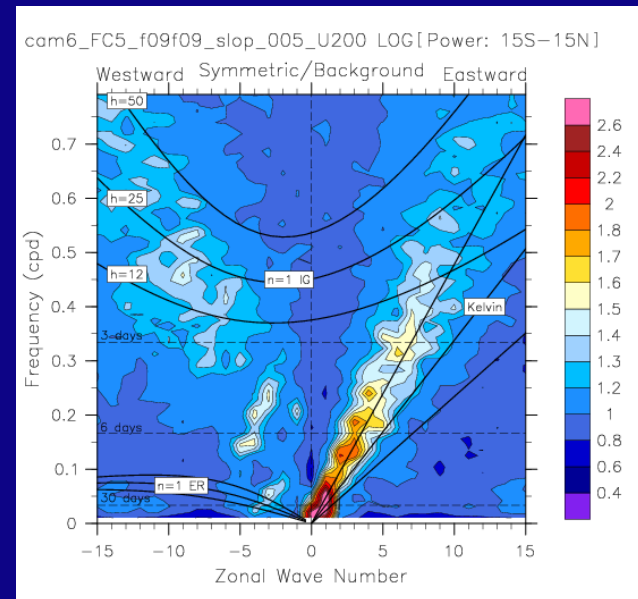
# Zonal Wind at 200 hPa (15S – 15N)



CAM6 Control

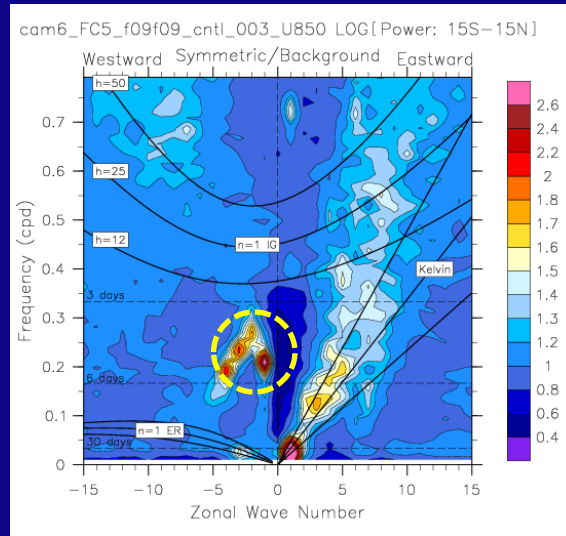


MCSP: 2<sup>nd</sup> Baroclinic Momentum Transport ( $\alpha_3 = 1$ )

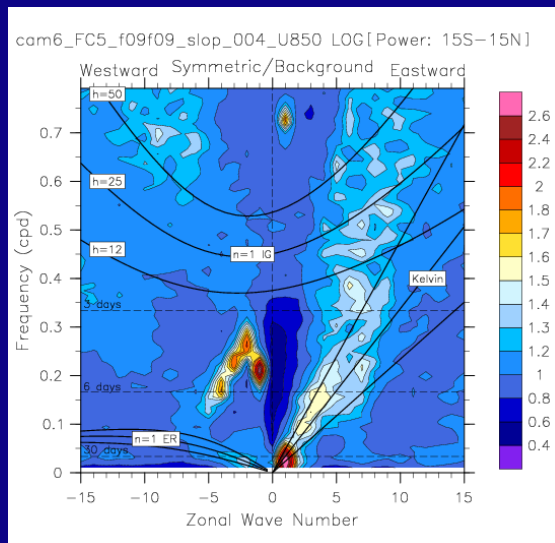


MCSP: 2<sup>nd</sup> Baroclinic Momentum Transport ( $\alpha_3 = 5$ )

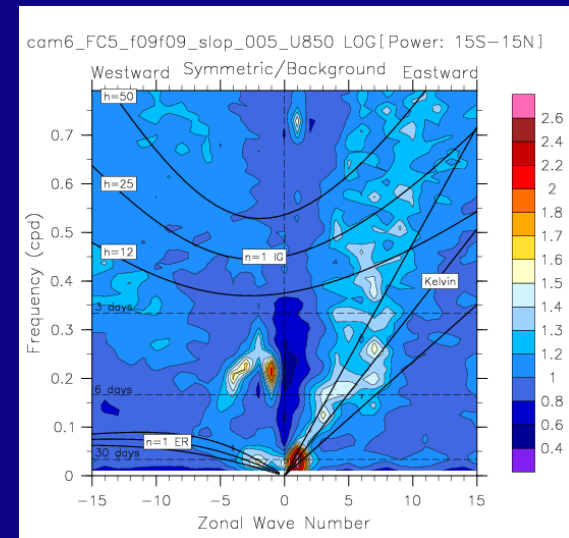
# Zonal Wind at 850hPa: Rossby-Haurwitz Waves (15S-15N)



CAM6 Control



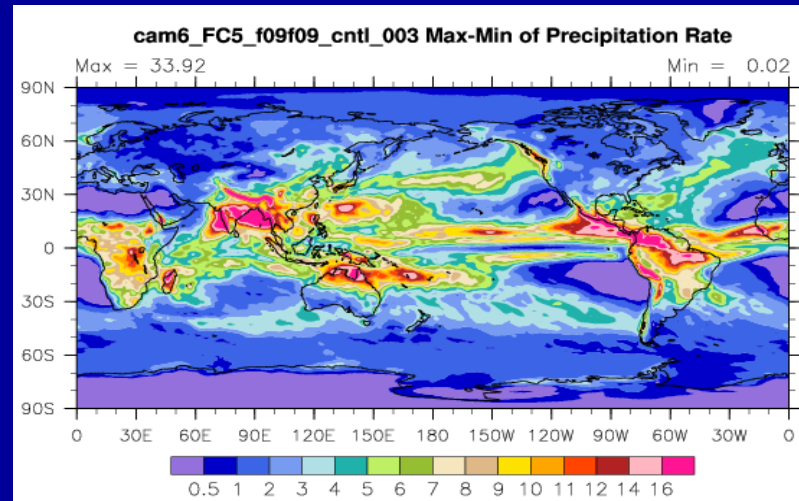
MCSP: 2<sup>nd</sup> Baroclinic Momentum Transport ( $\alpha_3 = 1$ )



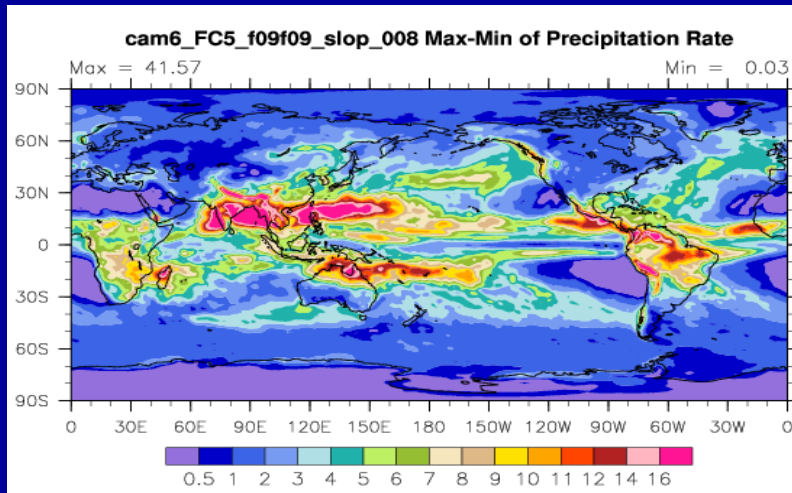
MCSP: 2<sup>nd</sup> Baroclinic Momentum Transport ( $\alpha_3 = 5$ )



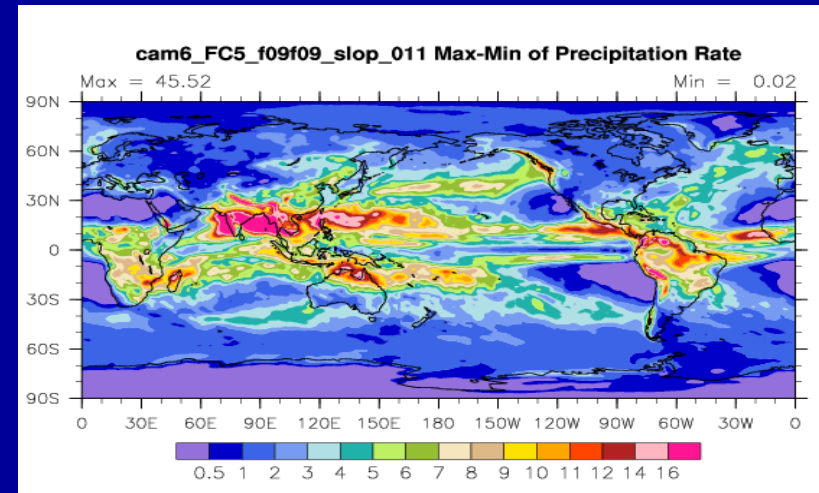
# Precipitation 'Amplitude'



CAM6 Control



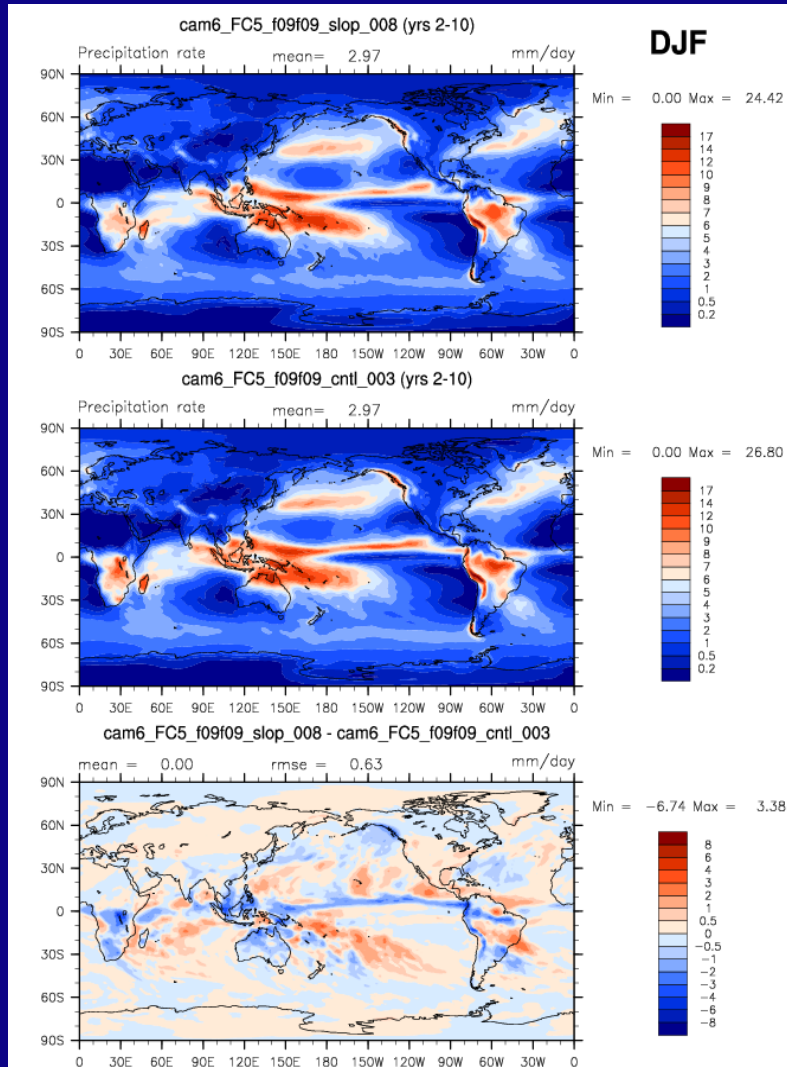
MCSP: 2<sup>nd</sup> Baroclinic Heating



MCSP: 2<sup>nd</sup> Baroclinic Heating & Momentum Transport ( $\alpha_3 = 1$ )



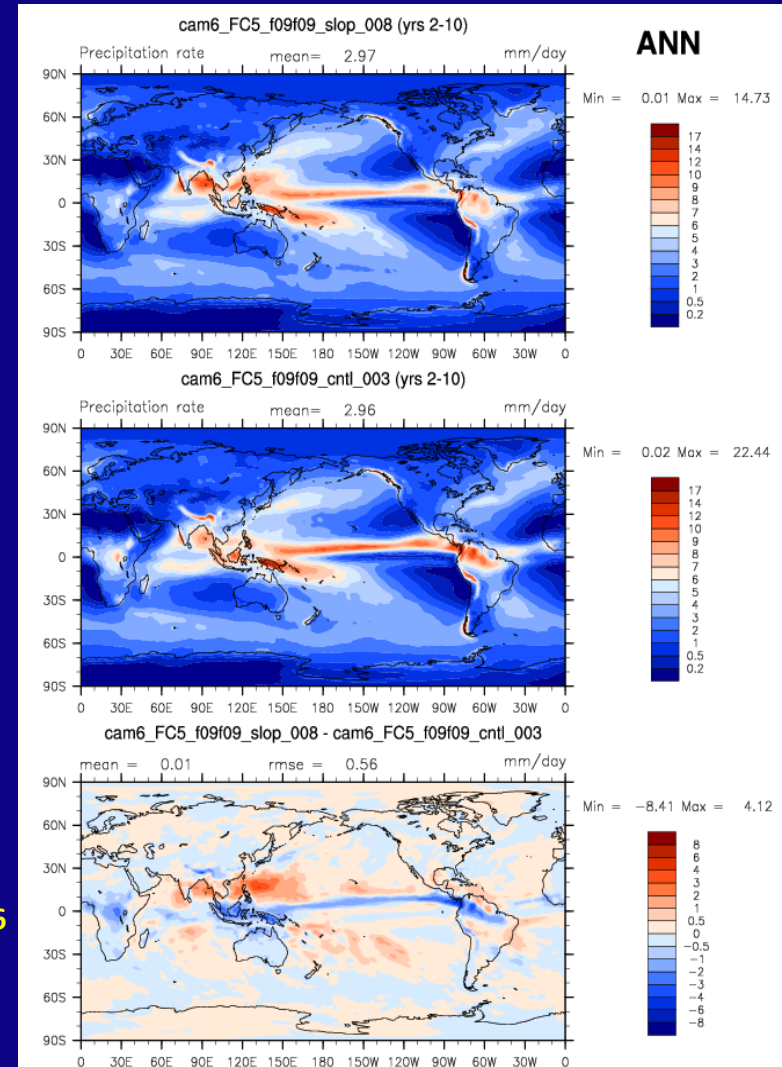
# Global Precipitation Rate



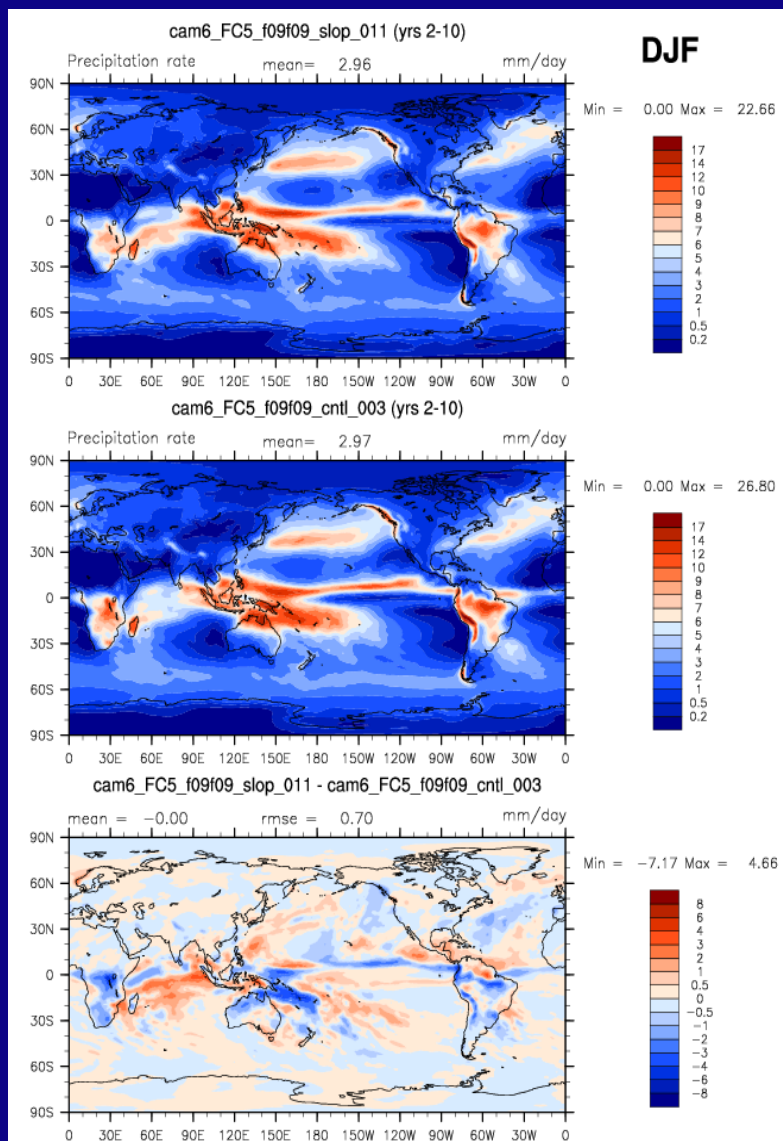
MCSP: 2<sup>nd</sup>  
Baroclinic  
Heating

CAM6 Control

MCSP – CAM6



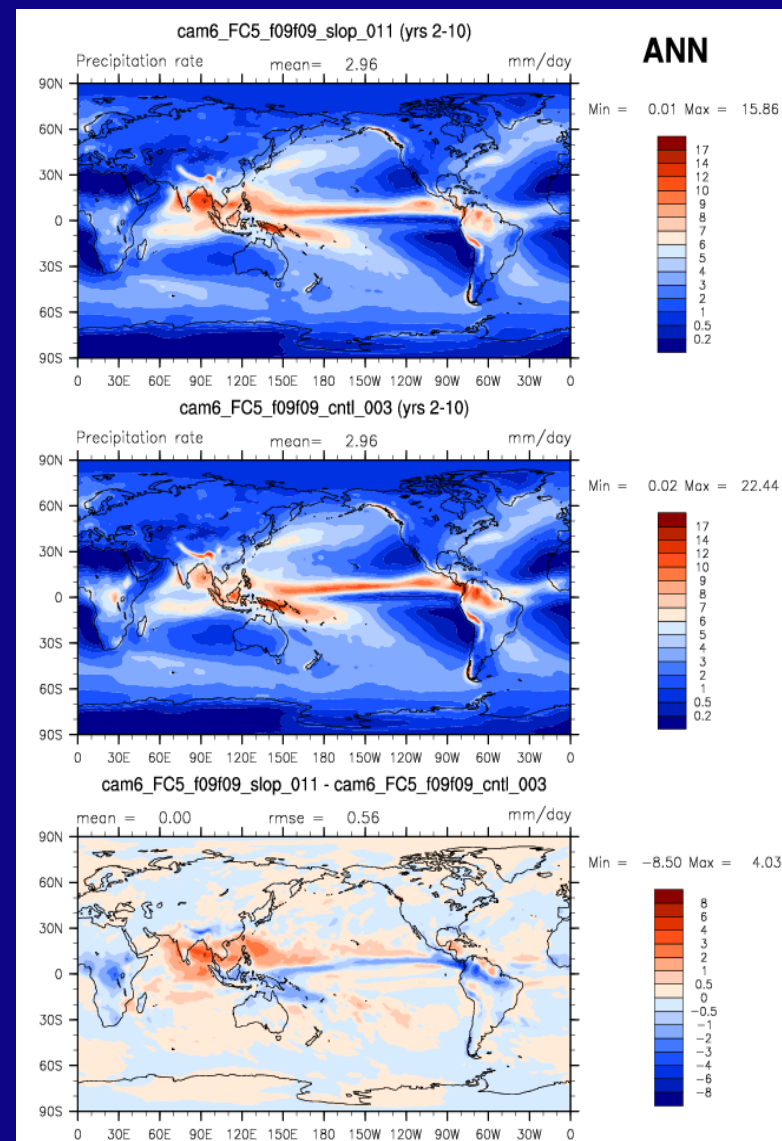
# Global Precipitation Rate



**MCSP:**  
2<sup>nd</sup> Baroclinic  
Momentum  
Transport  
 $\alpha_3 = 1$

**CAM6  
Control**

**MCSP – CAM6**

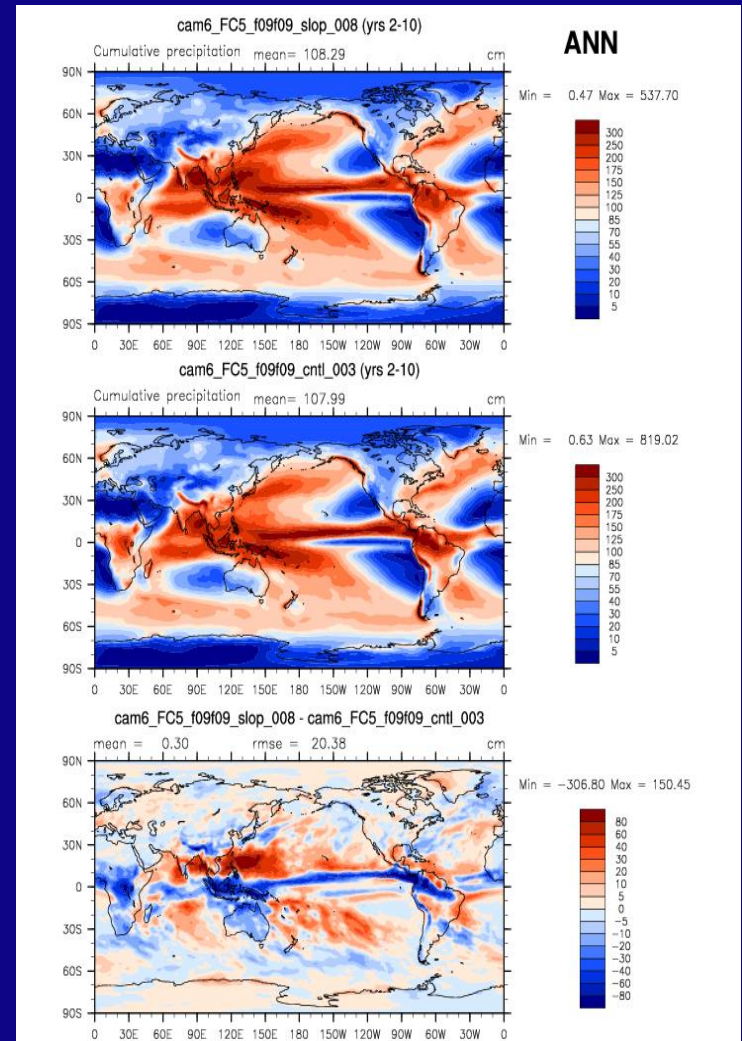
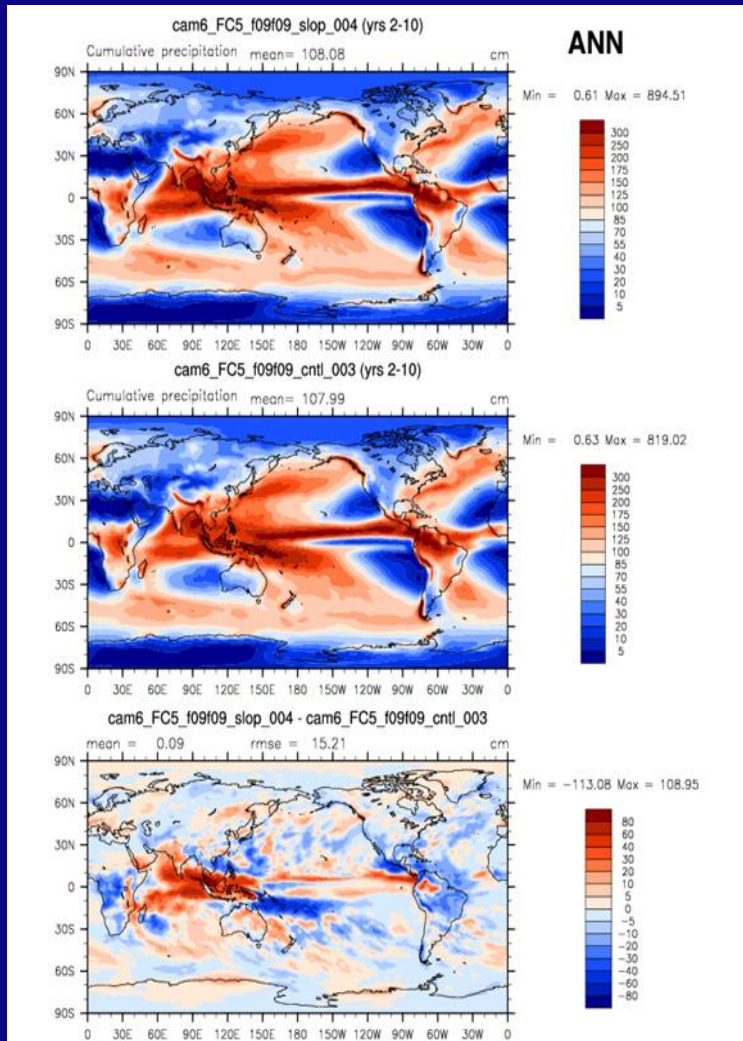


# Cumulative Precipitation Pattern

MCSP

CAM6

MCSP – CAM6

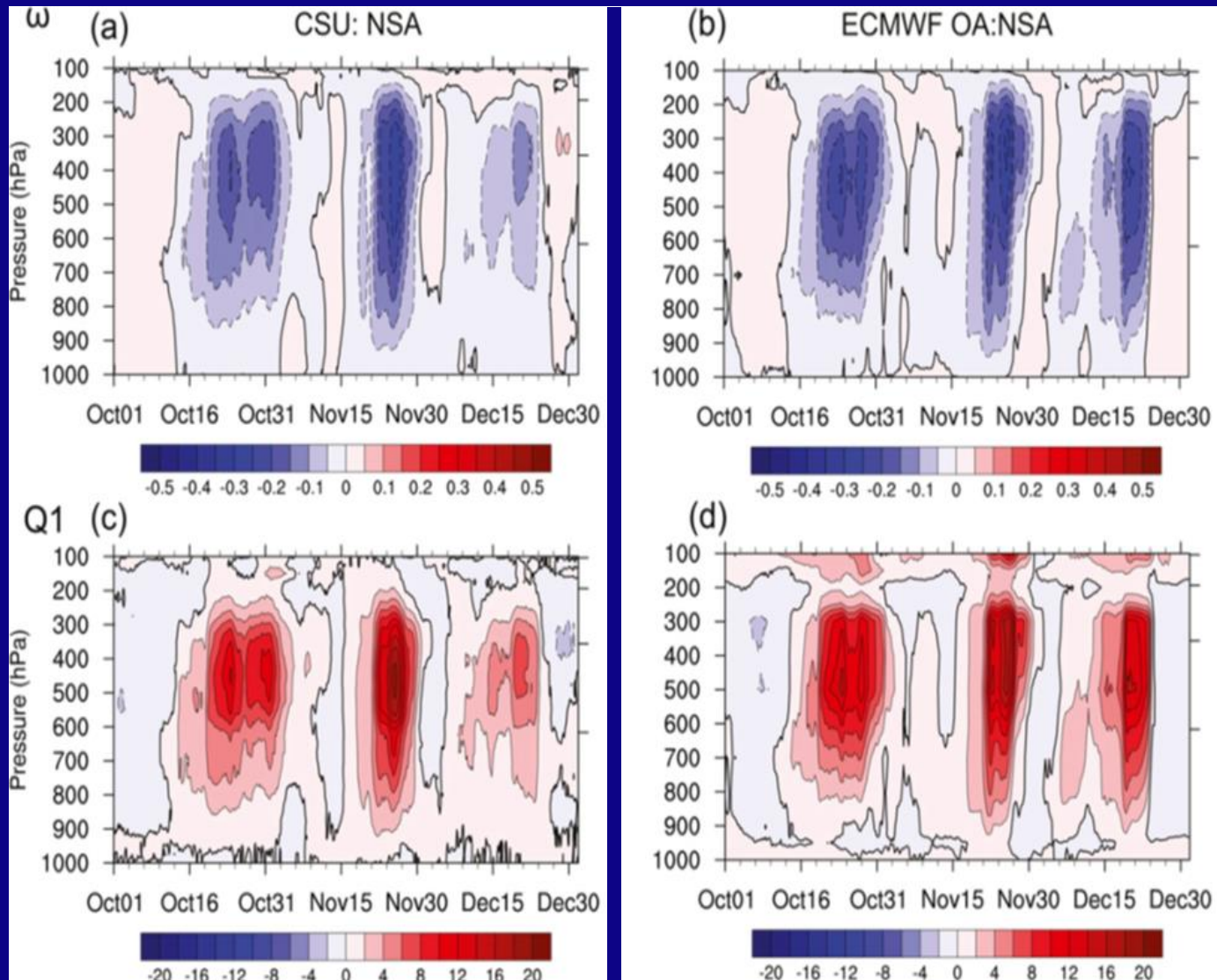


MCSP: 2<sup>nd</sup> Baroclinic Momentum Transport ( $\alpha_3 = 1$ )

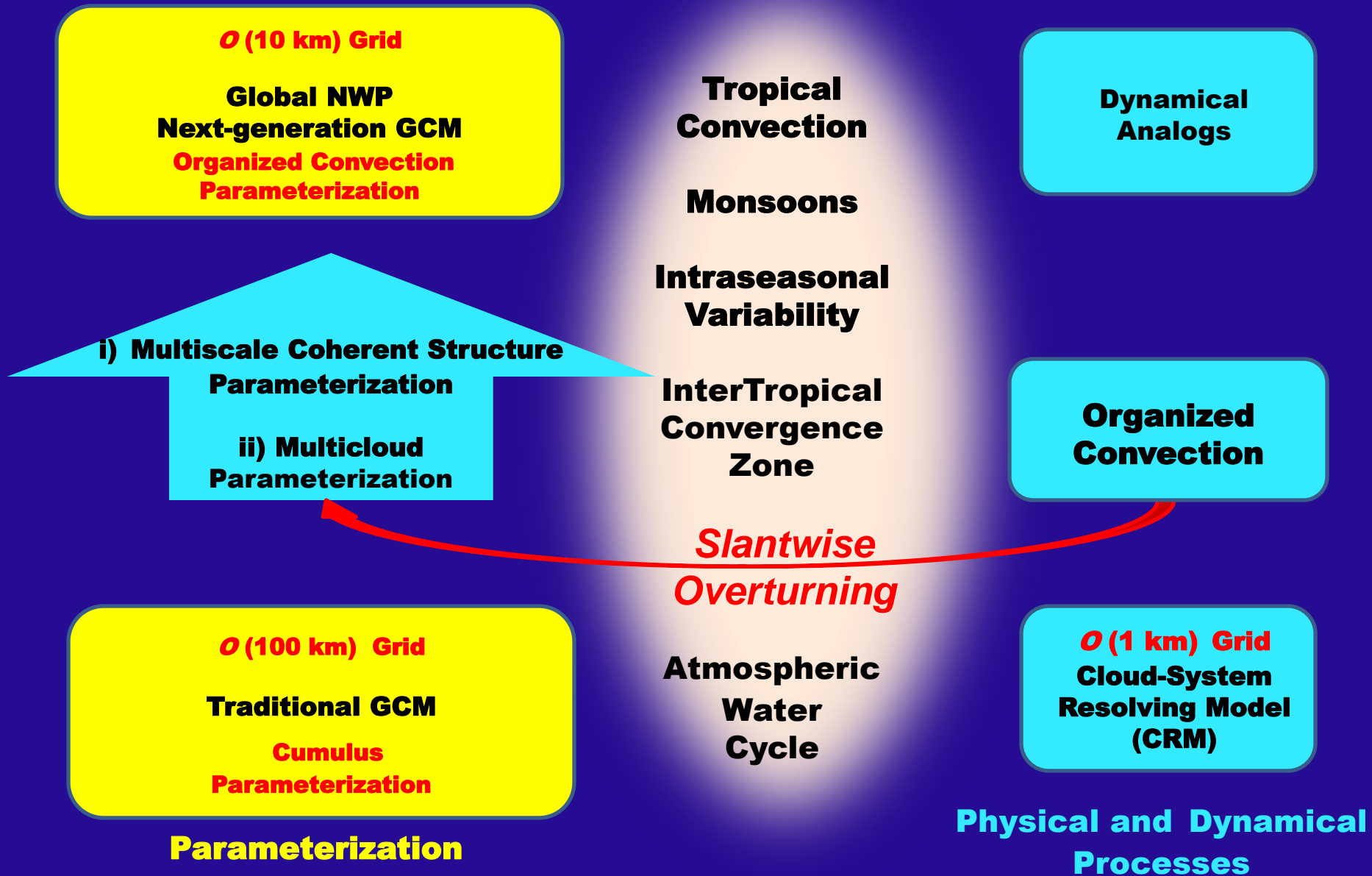
MCSP: 2<sup>nd</sup> Baroclinic Heating



# Convective Heating Rate Proportional to Vertical Velocity (DYNAMO Field Campaign)



# Model Development Strategy



# Summary

- **Multiscale Coherent Structure Parameterization (MCSP), with Slantwise Overturning as the transport module, efficiently adds organized convection to contemporary convective parameterization**
- **Proof of hypothesis: The existence of large-scale coherent response to 2nd baroclinic heating & baroclinic momentum transport in Indian Ocean, Maritime Continent and Tropical Western Pacific regions, i.e., hot spots of global teleconnection**
- **Large-scale features in Indian Ocean, Tropical Pacific, SPCZ, ITCZ are consistent with the TRMM observations**
- **The cross-scale self-similarity of squall lines, MCSs, tropical superclusters and MJO stems from convective heating being proportional to the vertical velocity**
- **The multiscale coherent structure paradigm implies the existence of new scale-selection mechanisms for organized convection at meso- and synoptic-scales**
- **A few lines of code, MCSP is useable in long climate simulations**
- **Much more to be done, e.g.,**
  - CAM6
  - Collaborate with multicloud parameterization research
  - Analysis of the 9 km ECMWF IFS *2<sup>nd</sup> Virtual Global Field Campaign* (YOTC was 25 km)

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